

Therefore, the horizontal momentum equations may be written into the following component equations in natural coordinates

$$(19) \quad \frac{D|\vec{V}|}{Dt} = -\frac{\partial \Phi}{\partial s}$$

$$(20) \quad \frac{|\vec{V}|^2}{R} + f|\vec{V}| = -\frac{\partial \Phi}{\partial n}$$

Note:  $R > 0$  if air parcels turn toward the left following motion (cyclonic)

$R < 0$  if air parcels turn toward the right following motion (anticyclonic).

## Geostrophic Flow in natural coordinates

For steady state ( $\frac{D|\vec{V}|}{Dt} = 0$ ), and

for straight line flow ( $R \rightarrow \infty$ ), (20)

becomes

(21)

$$|\vec{V}_g| = -\frac{1}{f} \frac{\partial \Phi}{\partial n}$$

## Geostrophic wind scale

Since geopotential height is typically contoured in 60 m intervals, a graph may be constructed for operational use:

Geostrophic  
Windscale

